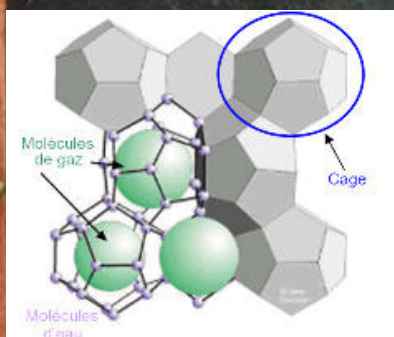


# Gas Hydrates and CO<sub>2</sub> capture

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ENS des Mines de Saint-Etienne*



Roma, 6<sup>th</sup> - 10<sup>th</sup>, July 2009

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*Matthias Kwaterski, Post Doc*

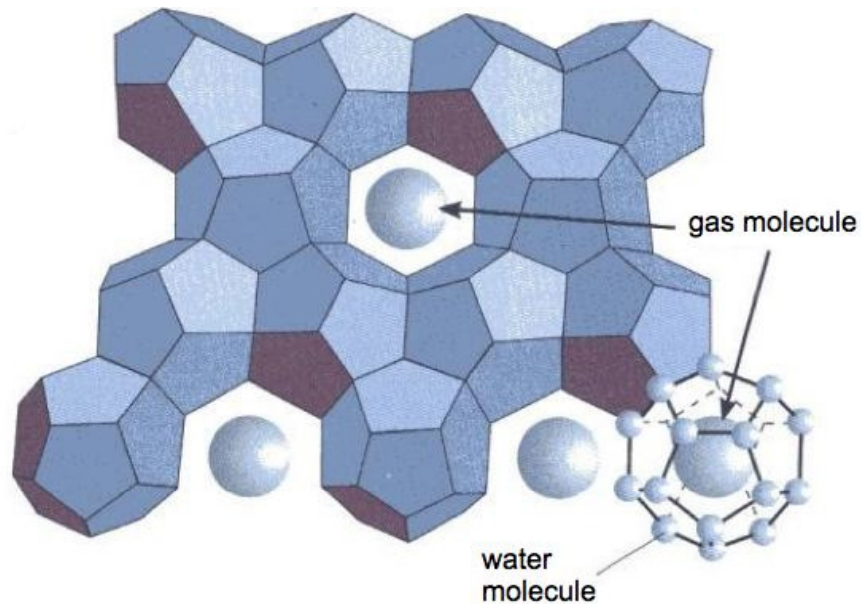


*Amina Bouchemoua, Doct.*



*Pedro Brantuas, Master R*

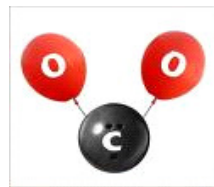




Methane hydrate

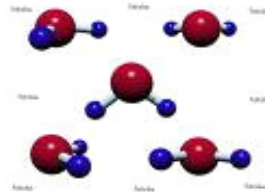
- Ice-like Crystalline Substances Made Up of Two or More Components
- Host Component (Water) - Forms an Expanded Framework with Void Spaces
- Van der Waals Forces Hold the Lattice Together

# Gas hydrates formation

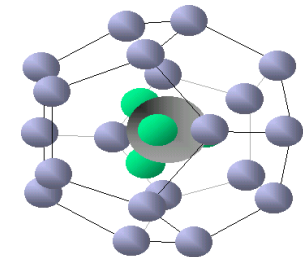
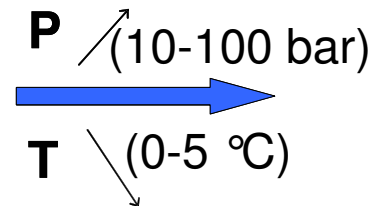


gas

+

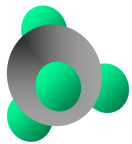


water

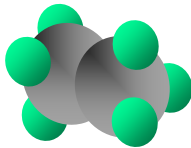


Gas hydrate

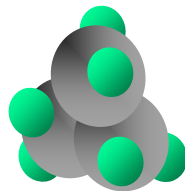
➔ hydrocarbones can form hydrates



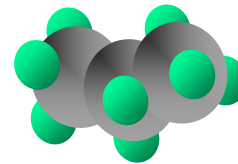
Methane



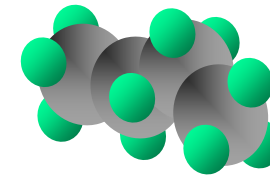
Ethane



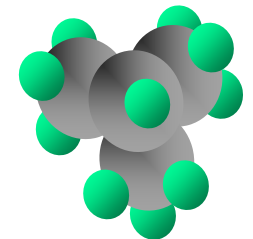
Cyclo-Propane



propane



butane



isobutane

But also

AIR

CO<sub>2</sub>

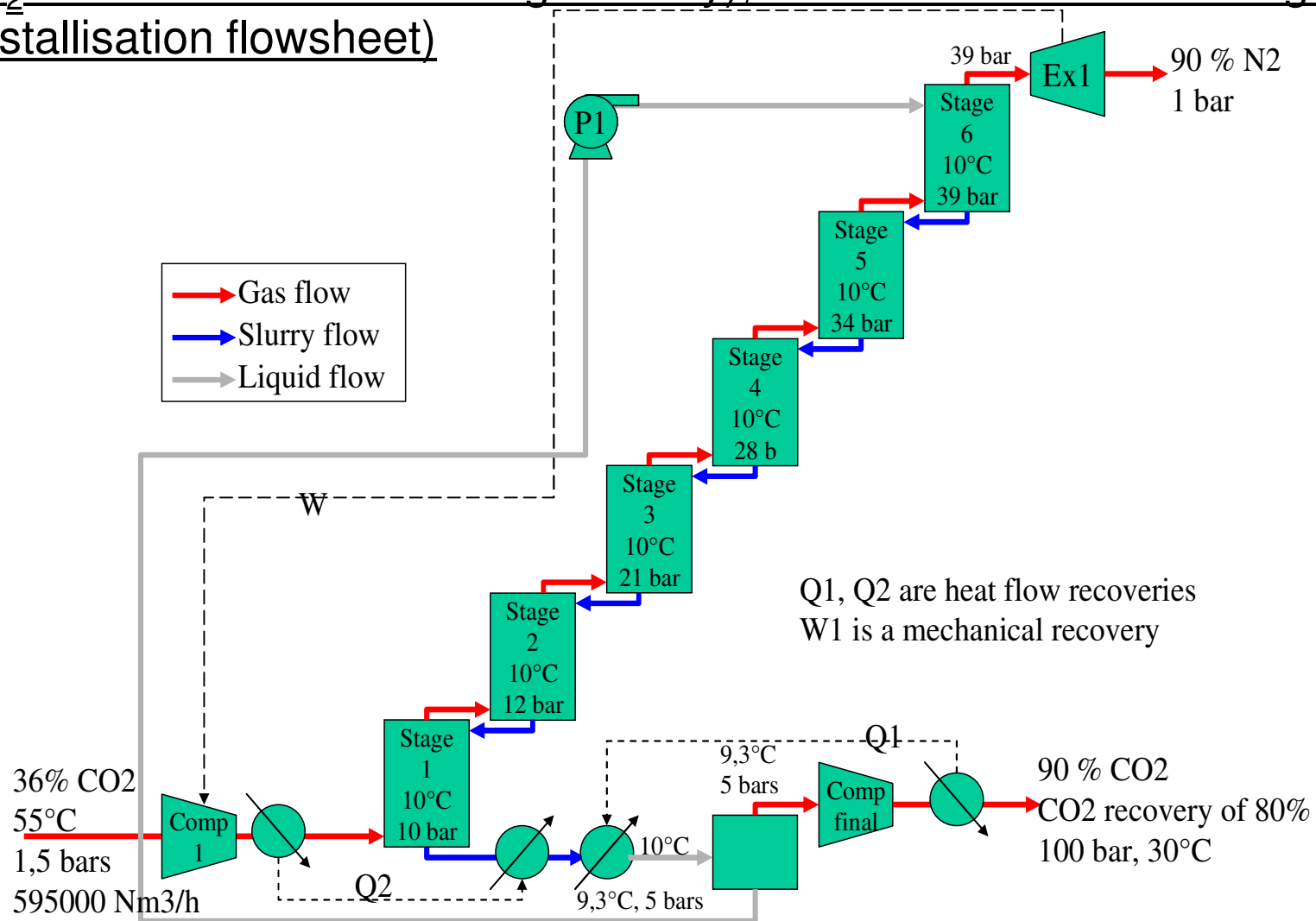
H<sub>2</sub>S

Ar, Kr, Xe

and quaternary ammoniums

# CO<sub>2</sub> capture project

In the framework of the 6PCRDT (Integrated Program ULCOS : Ultra Low CO<sub>2</sub> emission for Steelmaking industry), we have costed a multistages crystallisation flowsheet)



## Preliminary economic evaluation:

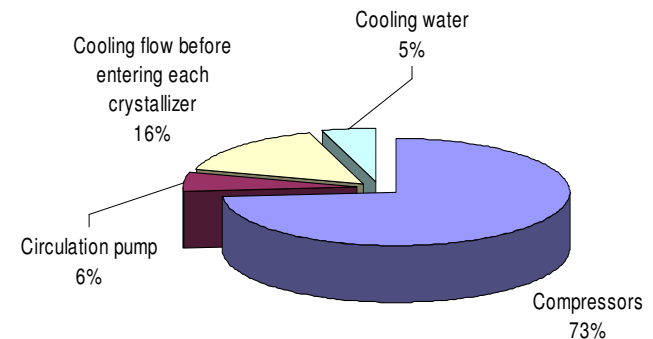
Utilities :                    electricity 40 euro/MW  
                                  cooling water (20 °C) 40 euro/1000 m<sup>3</sup>

Compressors consumption (efficacy 80 %) : 128 MW – 21 MW  
(recovered in EX1) = 107 MW

Pump (P1) consumption (efficacy of 80 %) : 8.1 MW

Heat exchangers : 23 MW

Water cooling (at 20 °C) : 7000 m<sup>3</sup>/h



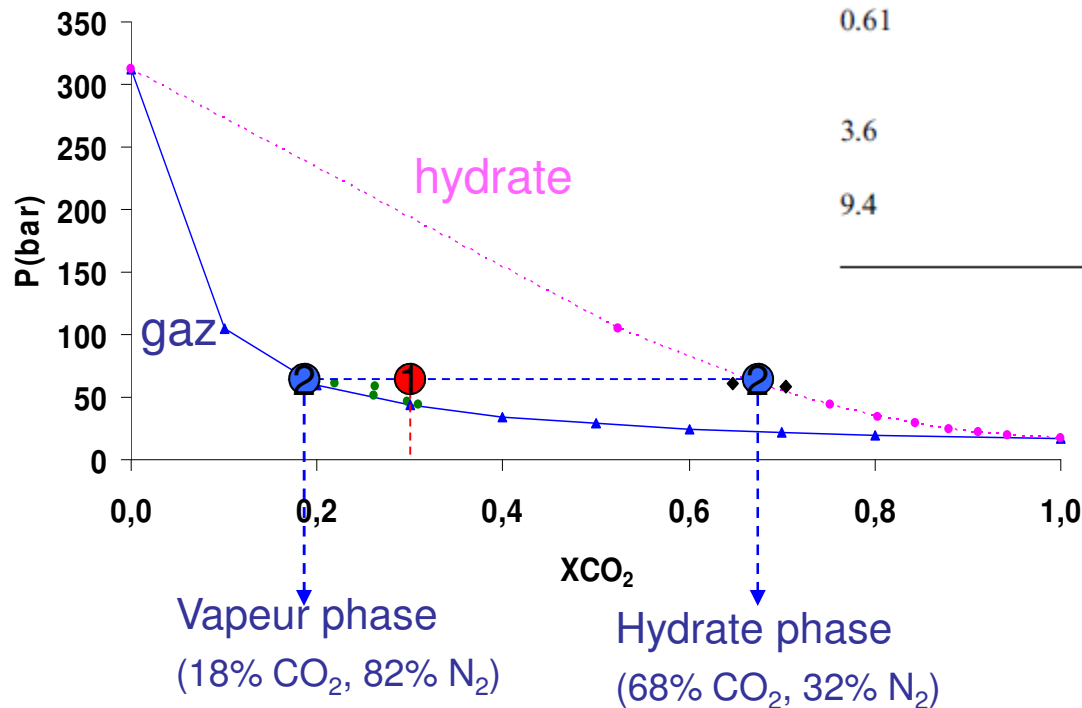
**Energy cost of the process : 17 euros/tonne CO<sub>2</sub>**  
Recovery rate of CO<sub>2</sub> 80 %, purity of CO<sub>2</sub> 90 %

Separation is based on an equilibrium between a solid phase (hydrates slurry) and a gas phase :

## Role of the quaternary ammoniums

Equilibrium pressure of CO<sub>2</sub> hydrate with and without TBAB

% TBAB (mol)	<i>T</i> (K)	<i>P</i> (bar)	<i>P</i> (without TBAB) (bar)
0.29	279.3	2.73	35
	282	6.4	36.9
	284	8.4	143.6
0.61	286.1	10.7	270
	286.2	11.2	372
3.6	290.9	33.2	1220
9.4	284	8.15	143.6
	285	9.86	243



# What are we doing?

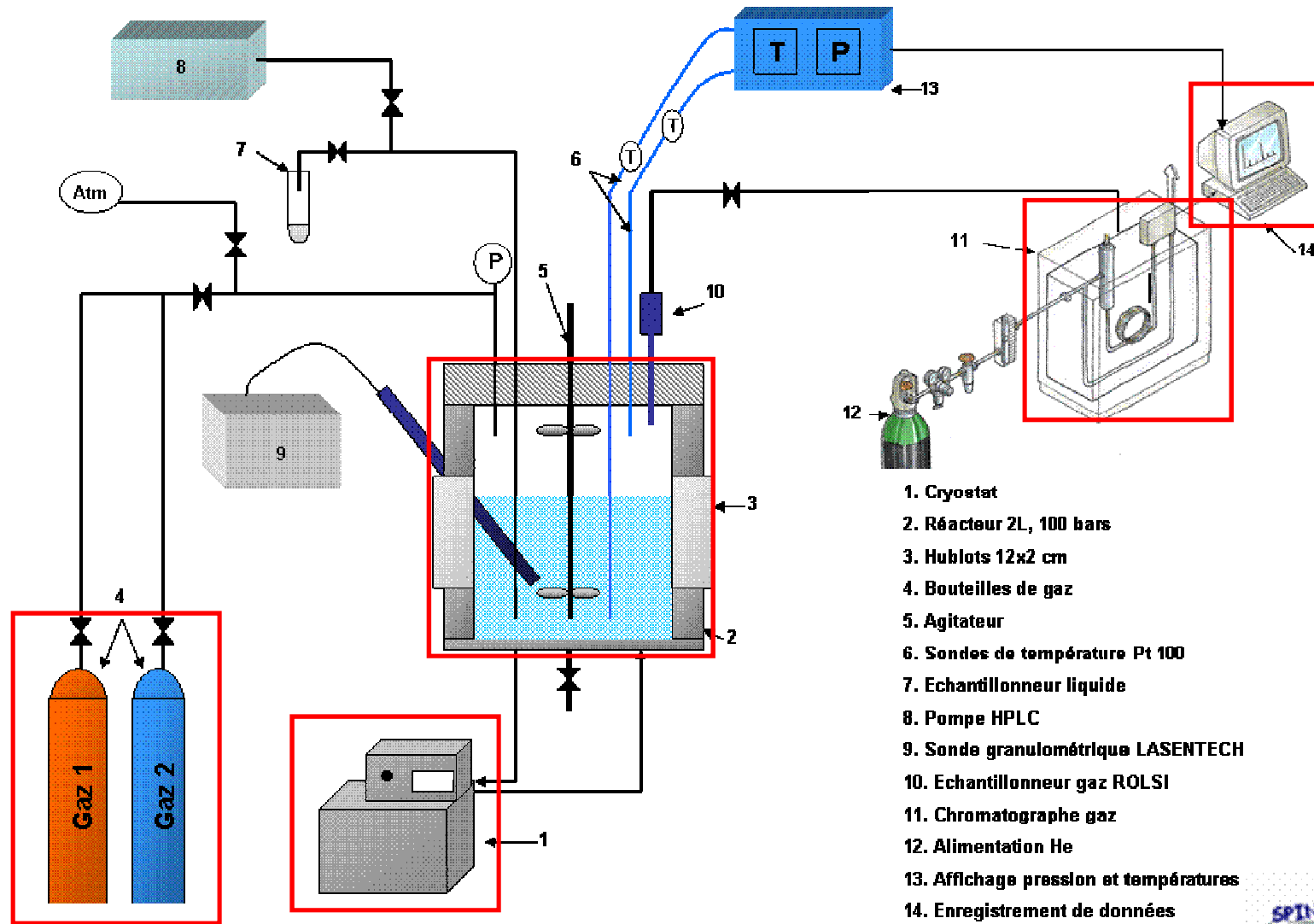
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- National program ANR-SECOHYA (academic program)
- National program FUI-ACACIA (industrial program)
- European program PI-7PCRDT iCAP (both academic and industrial program)

IFP-Rhodia-LAFARGE-Veolia-Solvay-ARKEMA

- Doing experiments about thermodynamics of equilibrium and kinetics of crystallization in different contexts (water based systems, and water in oil based systems)
- Modeling thermodynamic
- Implementing the thermo on the web

# Experimental Set Up



1. Cryostat
2. Réacteur 2L, 100 bars
3. Hublots 12x2 cm
4. Bouteilles de gaz
5. Agitateur
6. Sondes de température Pt 100
7. Echantillonneur liquide
8. Pompe HPLC
9. Sonde granulométrique LASENTECH
10. Echantillonneur gaz ROLSI
11. Chromatographe gaz
12. Alimentation He
13. Affichage pression et températures
14. Enregistrement de données

## Objectifs:

- representation and prediction of the equilibrium conditions  $(P, T, x, y, z)$ ;
- formation/dissociation conditions



## Equilibrium conditions

- P and T constant
- $\mu_i^\alpha = \mu_i^\beta$   
 *$\alpha, \beta$  : phases ,  $i$  : component*



## Modélisation

- calcul of the chemical potential in the  $\neq$  phases

## Vander Waals and Platteuuws model:

➤ based on the equality :  $\mu_w^H = \mu_w^L \Rightarrow \Delta\mu_w^{\beta-H} = \Delta\mu_w^{\beta-L}$

$\Delta\mu_w^{\beta-H}$  : is the difference of chemical potential of water between the hydrate phase and the reference phase  $\beta$ ;

$\Delta\mu_w^{\beta-L}$  : is the difference of chemical potential of water in the liquid phase and the reference phase

➤ Assumptions :

- There is no interaction between the guest molecules in different cavities
- Each cavity contains at most one guest molecule.
- The interaction between a gas and water molecule can be described by a pair potential function
- The cavity and the guest molecules can be treated as perfectly spherical.
- analogy with the Langmuir adsorption  $\Rightarrow \theta_j^i$  (occupancy fraction of the cavities)

# Modeling the thermodynamic

Vander Waals and Platteuuws model:

➔  $\Delta\mu_w^{\beta-H}$  : *statistical thermodynamic*

$$\Delta\mu_w^{\beta-H} = RT \sum_i \nu_i \ln(1 - \sum_j C_j^i f_j(T, P))$$

$$C_j^i = \frac{4\pi}{kT} \int_0^R \exp\left(\frac{-w(r)}{kT}\right) r^2 dr$$

$$C_j^i = \frac{A_j^i}{T} \exp\left(\frac{B_j^i}{T}\right)$$

(Parrish & Prausnit)

$$\ln \phi = \ln \frac{f}{P} = \int_0^P (Z - 1) \frac{dP}{P}$$

Calculated by EoS (SRK, PR, PT, ...)

➔  $\Delta\mu_w^{\beta-L}$  : *Classical thermodynamic*

$$\left(\frac{\Delta\mu_w^{\beta-L}}{RT}\right)_{T,P} = \left(\frac{\Delta\mu_w}{RT}\right)_{T_0,P_0} - \int_{T_0}^T \frac{\Delta h_w}{RT^2} dT + \int_{P_0}^P \frac{\Delta V_w}{RT} dP - \ln(\gamma_w^* X_w)$$

$$\Delta h_w = \Delta h_{w_0} + \int_{T_{ref}}^T \Delta C_p dT$$

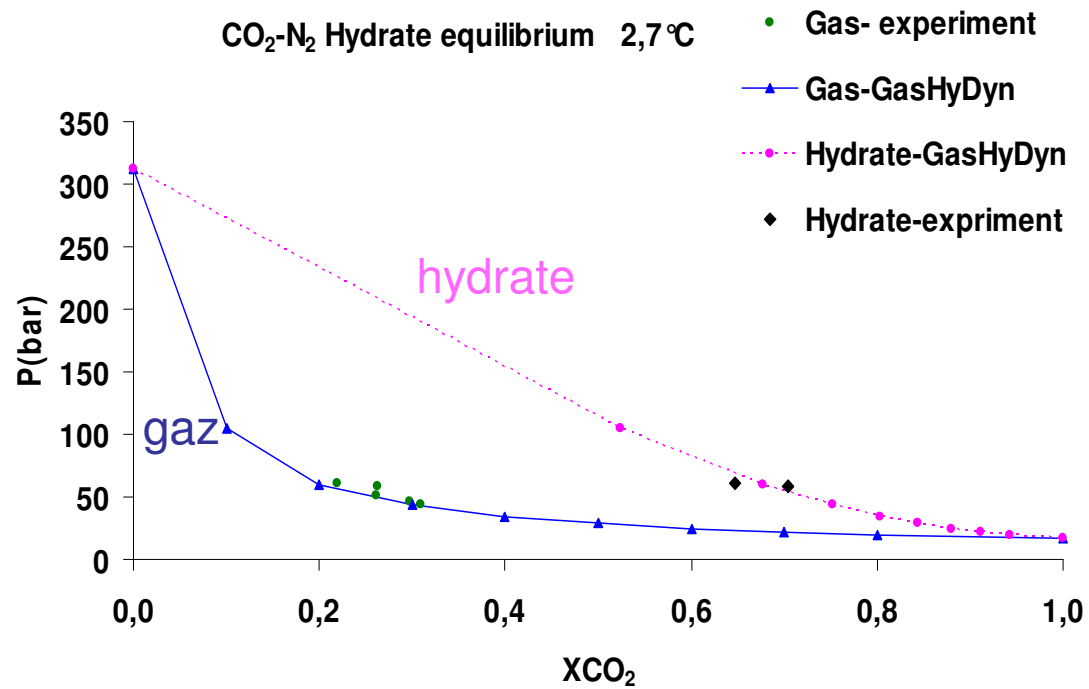
and

$$\Delta C_p = \Delta C_{p_0} + a(T - T_0)$$

$\Delta\mu_{w_0}$ ,  $\Delta C_{p_0}$ ,  $\Delta h_{w_0}$ ,  $a$  et  $\Delta V_{w_0}$  are determined experimentally



## Examples : gas mixture



The model describe well experiments

## Pressure calculations

T(K)	P(Mpa)	Chapoy	%dev.	Sloan	%dev	z N2	z CO2
273,8	4,2	4,1	3,2	4,0	-0,7	0,246	0,754
275,6	4,4	4,2	5,3	4,1	-1,2	0,309	0,691
275,9	4,5	4,3	3,5	4,3	-1,2	0,309	0,691
275,8	4,5	4,3	5,1	4,2	-1,4	0,308	0,692
275,8	4,7	4,4	5,3	4,4	-1,1	0,297	0,703
275,8	4,8	4,5	7,0	4,4	-1,2	0,295	0,705
273,8	4,8	4,6	3,3	4,6	-0,6	0,207	0,793
274,9	5,1	4,6	10,9	4,6	-0,9	0,245	0,755
275,9	5,2	5,0	5,2	4,9	-1,3	0,261	0,739

## Composition calculations

P(Mpa)	T(K)	XCO2	Sloan	%dev
6,0	273,2	0,658	0,643	2,4
6,1	274,3	0,657	0,646	1,9
6,3	275,2	0,656	0,665	1,3
6,5	276,3	0,584	0,674	13,3

Good agreement between model and experiments!!!

277,8	6,3	5,8	8,0	5,7	-2,1	0,291	0,709
278,1	6,4	6,0	6,2	5,8	-2,4	0,295	0,705
278,4	6,4	6,2	2,7	6,1	-2,3	0,295	0,705
278,6	6,5	6,3	2,8	6,1	-2,3	0,301	0,699
279,8	6,8	6,7	0,9	6,5	-3,1	0,337	0,663
273,4	6,1	5,5	11,3	5,4	-0,6	0,157	0,843
274,5	6,2	6,0	2,2	6,0	-0,4	0,164	0,836
275,4	6,4	6,2	3,6	6,1	-1,4	0,185	0,815
276,5	6,6	6,7	-1,9	6,6	-1,7	0,200	0,800
280,1	5,3	4,5	17,1	4,4	-2,7	0,559	0,441
281,1	5,6	5,0	13,3	4,8	-3,7	0,585	0,416
281,9	6,2	5,3	15,7	5,1	-4,8	0,617	0,383
			12,2		-1,8		

Relative errors

6,3	278,2	0,715	0,738	3,0
6,4	278,4	0,695	0,740	6,0
6,0	275,2	0,670	0,683	1,8
6,1	275,8	0,648	0,694	6,7
5,2	279,9	0,845	0,852	0,8
5,6	280,9	0,819	0,858	4,5
6,1	281,7	0,571	0,866	34,0
				5,9

Relative errors

Working with quaternary ammoniums



*We need to calculate :*

$\Delta\mu_{w0}$ ,  $\Delta C_{p0}$ ,  $\Delta h_{w0}$ ,  $a$  et  $\Delta V_{w0}$

And also modeling  $\gamma_w$

$$\left( \frac{\Delta\mu_w^{\beta-L}}{RT} \right)_{T,P} = \left( \frac{\Delta\mu_w}{RT} \right)_{T0,P0} - \int_{T0}^T \frac{\Delta h_w}{RT^2} dT + \int_{P0}^P \frac{\Delta V_w}{RT} dP - \ln(\gamma_w * X_w)$$

**Thank you for your attention**